Extremes of Gaussian chaos processes with trend

Long Bai^a, Enkelejd Hashorva^a and Dmitry Korshunov^b ^a University of Lausanne (Switzerland), ^b Lancanster University (UK)

Long Bai

University of Lausanne

Let $\boldsymbol{X}(t) = (X_1(t), \dots, X_d(t))$ be a Gaussian vector process and $g(\boldsymbol{x}), \boldsymbol{x} \in$ \mathbb{R}^d a homogenous function. In this paper we are concerned with the exact tail asymptotics of the chaos process $g(\mathbf{X}(t))$ with trend over [0, S]. Both scenarios that $\mathbf{X}(t)$ is locally stationary and non-stationary are considered. Important examples include $\prod_{i=1}^{d} X_i(t) - ct$ and chi-processes with trend, i.e., $\left(\sum_{i=1}^{d} b_i X_i^2(t)\right) - ct.$ **Key Words:** Gaussian chaos; Gaussian vector processes; Asymptotic

methods; Pickands constant.